The impact of Tourism Industry on Economic Growth: the case of Algeria (cointegration & causal analysis)

Boumedyen Taibi1*, Khadidja Lamri2
1Associate Professor, University Dr. Tahar Moulay, Saïda (Algeria)
✉ didenmajor@yahoo.fr
2PhD student, University Dr. Tahar Moulay, Saïda (Algeria)
✉ Lamrikhadidja2222@gmail.com

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Abstract:

The objective of this research document is to analyze the relationship between tourism and economic growth in Algeria during the period 1995-2018. To this end, an economic model was estimated according to the econometric methodology (cointegration relationship test and vector error correction model “VECM” in addition to the Granger causality test).

The results showed that the number of tourists has a negative impact on economic growth in Algeria, which means that Algeria depends on other variables to increase economic growth, such as oil revenues.

Keywords: Causality, Cointegration, Economic Growth, Tourism, Algeria.
JEL Codes: C1, O4, Z32.

1. Introduction

Tourism is a human activity which satisfies the person and his values, society and objectives, in addition to the State and its budgetary ambitions. This human activity has been institutionalized over the generations since its emergence in the 19th century, passing from a shared individual need of a social class (the English aristocracy) to an aroused, oriented, cultivated, and democratized need. All of this explain the growing interest of small and large companies in the States for this significant source of income.

*Corresponding author: University Dr. Tahar Moulay, Saïda (Algeria).
✉ didenmajor@yahoo.fr
Tourism has become a major driver of social and economic progress through job creation and companies, infrastructure development, and earned export earnings. It is considered as one of the leading service industries in the global economy. As the economic flows which result from international tourism have become vital factors in economic growth and international economic relations in many countries.

Tourism is considered as one of the most important economic activities for the Mediterranean countries. Due to their geographic position at the heart of three continents, these countries attract more than 30% of international tourist arrivals, which generates jobs and revenues. Algeria is part of the Mediterranean basin but it has not managed to develop the tourism sector with a very low number of foreign tourists (2657000 tourists in 2018) and to rank well compared to competing destinations like Morocco, Tunisia, Turkey, Spain, Italy... etc.

Today, governments have focused their attention on the development of the tourism sector, thanks to these economic advantages. Therefore, the development of the tourism sector is a necessary priority for governments, which requires medium and long-term policies and planning to achieve tourism attractiveness.

In Algeria, hydrocarbons are still the chosen sector so far, bearing in mind that the barrel of oil is somewhat volatile. Algeria must search for other sectors to rely on and search for new opportunities at the international level to diversify its sources, however, in the context of the current global economy, tourism is of particular interest.

In this sense, our main problem in this paper is:
What is the impact of tourism on economic growth in Algeria?

To answer this problem, we propose four main hypotheses for our research, which are:
- The tourism sector has a positive impact on economic growth in Algeria;
- The tourism sector has a negative impact on economic growth in Algeria;
- The NBT and REER caused the GDP;
- The NBT and REER do not cause the GDP.

This paper is divided into three sections, the first section includes the theoretical side and the second section includes the econometric methodology, the last section presents a modeling relationship (tourism-economic growth) and we conclude by a brief conclusion as to the results obtained in this study.

In order to lay the foundations of research, we addressed through this
paper the presentation of some review of literature highlighting the most important results reached.

2. Review of literature & the theoretical framework

2.1. Review of literature

In this section, we will try to present the most important results of the review of literature related to the tourism and economic growth.

2.1.1. The Study of (Arslanturk & others, 2011) entitled "Time-varying linkages between tourism receipts and economic growth in a small open economy"

Investigates the causal link between tourism receipts and GDP in Turkey for the period 1963-2006. The study uses the rolling window and time-varying coefficients estimation methods to analyze the Granger causality based on Vector Error Correction Model (VECM). The findings of the paper indicate that there is no Granger causality between the series, while the findings from the time-varying coefficients model based on the state-space model and rolling window technique show that GDP has no predictive power for tourism receipts. However, tourism receipts have a positive predictive content for GDP following early 1980s.

2.1.2. The Study of (Ekanayake & Aubrey, 2012) entitled "Tourism development and economic growth in development countries"

It’s the objective is to investigate the relationships between tourism development and economic growth in developing countries using the newly developed heterogeneous panel cointegration technique. This study examines the causal relationship between tourism development and economic growth using Granger causality tests in a multivariate model and using the annual data for the 1995–2009 period. The study finds no evidence to support the tourism-led growth hypothesis. The results of the FMOLS show that, though the elasticity of tourism revenue with respect to real GDP is not statistically significant for all regions, its positive sign indicates that tourism revenue makes a positive contribution to economic growth in developing countries. The results of the study suggest that governments of developing countries should focus on economic policies to promote tourism as a potential source of economic growth.

2.1.3. The Study of (Ben Zaarour & Satour, 2017) entitled "Tourism and economic growth in Algeria"

Evidence of Cointegration and causal analysis”. This paper investigates the relationship between economic growth and tourism development in Algeria. The purpose of this research is to test empirically the long-term relationship between economic growth and tourism
development for annual data collected between 1995 and 2014. The study uses a multivariable model that includes gross domestic product and as a proxy of economic growth and a variable reflecting the tourism economy such as arrivals of international tourists, income from expatriate spending. Other relevant variables are added to estimate the econometric model.

2.1.4. The study of (Harrats & Ramdani, 2018) entitled "Studying the causal relationship between tourism investment and tourism growth in Algeria using Toda and Yamamoto methodology":

This study aims to find the causal relationship between tourism investment and tourism growth in Algeria, where the Toda and Yamamoto methodology, using the methodology of Toda and Yamamoto, which is based on the Vector Autoregression (VAR) model, the study concluded that there is a one-way causality from tourism investment to domestic tourism raw production.

2.2. The theoretical framework

During the 20th century, tourism gradually established itself as an essential element of social and economic life, first in Europe and in North America, then in Asia and later in other parts of the world, in this section we will present general information on tourism.

2.2.1. Definition of tourism

“Tourism is a new phenomenon that has emerged in everyday reality for less than half a century. But it experienced such rapid expansion and generalization in society as a commonplace and a naturally constitutive element of this daily life” (Cazes, 1989, p. 07)

One of the earliest definitions of tourism was given by an Austrian economist, Hermann V. Schullard, in the year 1910 who defined it as: “the sum total of operators, mainly of an economic nature which directly relate to the entry, stay and movement of foreigners inside and outside a certain country, city of region”. (Raj, 2002, p. 69)

For the World Tourism Organization (WTO), “tourism is a trip away from your usual place of residence for more than 24 hours but less than 04 months, for leisure purposes, a professional purpose (business tourism) or a health goal (health tourism)” (Camilleri, 2018, p. 02)

Professors Hunziker & Krap (1942) defined tourism as “the totality of the relationship and phenomenon arising from the travel and stay of strangers, provided the stay does not imply the establishment of a permanent residence and is not connected with remunerated activity” (Raj, 2002, p. 69)

In 1991, the United Nations World Tourism Organisation declared that “Tourism comprises the activities of persons travelling to and staying in places outside of their usual environment for not more than one consecutive
year for leisure, business or other purposes” (Camilleri, 2018, p. 02)

2.2.2. The tourism market

The tourism market defined by tourist demand and tourist supply.

![Diagram of the tourism market]

Figure 1: The tourism market
Source: (Caccomo, 2007, p. 19)

2.2.2.1. Tourist demand

Tourism demand is defined on the basis of total tourist spending on goods and services of domestic production

In 1972, René Baretje introduced the function which links tourist demand to $X_k$ factors like this:

$$Y = f (X_1, X_2, ..., X_k) \quad with \quad f' < 0$$

(1)

This translates to:

An increase in prices will cause automatically a decrease in the quantities. This law applies to the tourist sector, so if the price of a stay increases its demand falls and vice versa.
2.2.2.2. Tourist supply
The tourist supply can be defined as "the quantity of goods and services that can be presented on the market at a given price. Thus, the tourist offer is presented as a "basket" of goods and services, which are offered to consumers in order to satisfy their needs. What is offered to consuming tourists is in fact a set of by products (accommodation, transport entertainment, and environment)."

\[ Y = f(X_1, X_2, ..., X_k) \quad \text{with} \quad f' > 0 \]  

(2)

This translates to: An increase in prices will cause automatically an increase in the quantities.

The tourism product consists of a set of activities. It is a basket made up of several products and services of a different nature and composition, with special characteristics. It is a composite product offering a set of
material goods (hotel, craft products, etc.) and services of natural resources (landscape, beach, flora and fauna, etc.), socio-cultural resources (museums, etc.) and resources, technological (factory, nuclear power plants, etc.) and human relations, of the same importance.

3. Methods

The estimation of the empirical model took place in four stages. First, we will perform unit root tests on each of the variables of the model to ensure the econometric approach to follow, secondly we will look for the existence of a cointegration relationship between the variables and third place on the basis of the cointegration relationship found, we will estimate a medium and long term model, in the end we will evaluate the robustness of the model selected using the appropriate tests. As a final step, we will determine the trend of the relationship between economic growth and tourism industry by the Granger causality test.

3.1 ADF Test

Before the treatment of a time series, stochastic characteristics should be studied. If these characteristics - that is to say, its expectancy and its variance - are modified over time, the time series is considered as non stationary, in the case of an invariant stochastic process, the time series is then stationary.

In a formalized way, the stochastic process $y_t$ is stationary if: (Bourbonnais, 2015, pp. 239-240)

- $E (y_t) = E (y_{t+m}) = \mu$ \quad $\forall t$ and $\forall m$, the average is constant and independent of time.
- $Var (y_t) < \infty$ \quad $\forall t$, the variance is finite and independent of time.
- $\text{cov} (y_t, y_{t+k}) = E [(y_t - \mu) (y_{t+k} - \mu)] = \gamma_k$, the covariance is independent of time.

It appears from these properties that a white noise process $\varepsilon_t$ in which the $\varepsilon_t$ are independent and of the same law $N (0, \sigma^2 \varepsilon)$ is stationary.

A time series is therefore stationary if it is the realization of a stationary process. This implies that the series have neither trend nor seasonality and more generally no factor changing over time (Bourbonnais, 2015, p. 240)

The stationarity test used is that of Augmented Dickey-Fuller (ADF 1981). This test exists in three different versions:

The first model without constant or deterministic trend presented generally as follows:

$$\Delta Y_t = \alpha Y_{t-1} - \sum_{j=2}^{p} \phi_j \Delta Y_{t-j+1} + \varepsilon_t$$

(3)
The second model with constant and without deterministic trend:

\[ \Delta Y_t = \alpha Y_{t-1} - \sum_{j=2}^{p} \phi_j \Delta Y_{t-j+1} + c + \varepsilon_t \]

The third model with constant and deterministic trend:

\[ \Delta Y_t = \alpha Y_{t-1} - \sum_{j=2}^{p} \phi_j \Delta Y_{t-j+1} + c + \beta t + \varepsilon_t \]

Where \( \Delta Y \) "t" is the change between periods t and t + 1. The null hypothesis \( H_0 \) of non-stationarity is evaluated by testing the hypothesis \( \phi = 1 \) that means there is a unit root.

3.2 Johansen’s cointegration test (1988)

The study of cointegration makes it possible to test the existence of a stable long-term relationship between two non-stationary variables, including delay variables and exogenous variables. There are several tests of cointegration, the most general being Johansen's. Whatever the test chosen, it has significance only on non-stationary long series. Therefore, the cointegration analysis makes it possible to clearly identify the true relationship between two variables, by looking for the existence of a cointegrating vector and eliminating its effect if necessary.

Two series x and y are cointegrated if the following two conditions are satisfied: they are assigned a stochastic trend of the same order of integration and a linear combination of these series allows to reduce to a series of order of integration inferior. (Dupont, 2009)

To determine the number of cointegration relationships, Johansen (1988) proposes two tests based on the eigenvalue of a matrix derived from a two-step calculation:

Calculation of two residues \( u_t \) and \( v_t \) by making two regressions:

**The first :**

\[ \Delta Y_t = \tilde{A}_0 + \tilde{A}_1 \Delta Y_{t-1} + \tilde{A}_2 \Delta Y_{t-2} + \cdots + \tilde{A}_p \Delta Y_{t-p} + u_t \]  

(3)

**The second :**

\[ \Delta Y_{t-1} = \tilde{A}_0' + \tilde{A}_1' \Delta Y_{t-1} + \tilde{A}_2' \Delta Y_{t-2} + \cdots + \tilde{A}_p' \Delta Y_{t-p} + v_t \]  

(4)
With: $Y_t = \begin{bmatrix} y_{1,t} \\ y_{2,t} \\ \vdots \\ y_{k,t} \end{bmatrix}$

- $u_t$ and $v_t$ are the matrices of the residuals of dimension $(k, n)$, with $k$: number of variables, $n$: number of observations.

$$
\sum_{uu} \cdot = \left( \frac{1}{n} \right) \sum_{i=1}^{n} u_i u_i'
$$

$$
\sum_{vv} \cdot = \left( \frac{1}{n} \right) \sum_{i=1}^{n} v_i v_i'
$$

$$
\sum_{uv} \cdot = \left( \frac{1}{n} \right) \sum_{i=1}^{n} u_i v_i'
$$

$$
\sum_{vu} \cdot = \left( \frac{1}{n} \right) \sum_{i=1}^{n} v_i u_i'
$$

Extracting the $k$ eigenvalues of the matrix $M$ of dimension $k$: $k$ in the following manner:

$$
M = \sum_{vv}^{-1} \cdot \sum_{vu}^{-1} \cdot \sum_{uu}^{-1} \cdot \sum_{uv}^{-1} \cdot
$$

The number of cointegration relationships is tested by the "Trace" (Likelihood Ratio) statistic provided by Johansen, written:

$$
\lambda_{trace} = -n \sum_{i=r+1}^{k} \ln (1 - \lambda_i)
$$

With $n$: number of observation, $\lambda_i$: eigenvalue of the matrix $M$, $k$: number of variables, $r$: rank of the matrix. This statistic follows a probability distribution similar to $\chi^2$ tabulated using simulation by Johansen and Juselius (1990). The trace test works by excluding alternative hypotheses:

Rank of the matrix $r = 0$, ie $H_0$: $r = 0$ against $H_1$: $r > 0$, if $H_0$ is refused we proceed to the next test ($\lambda_{trace}$ > the critical value read in the table), in the opposite case, the procedure is stopped and the rank of the matrix is $r = 0$.

If after having rejected different hypotheses $H_0$ at the end of the procedure, we test, $H_0$: $r = k-1$ against $H_1$: $r = k$. If we refuse $H_0$ then the rank of the matrix is $r = k$ and there is no cointegration relation because the
variables are all I (0).

The second test proposed by Johansen is given by the statistic of the maximum eigenvalue:

\[ \lambda_{\text{max}} = -n \log (1 - \lambda_{r+1}) \]  

The test is carried out like the trace test, sequentially by excluding alternative hypotheses. In case of divergence of the two tests: trace and maximum eigenvalue, the test of the trace with the highest power is preferred.

### 3.3 Estimation of a vector error correction model (VECM)

This type of econometric specification known as the partial adjustment or error correction mechanism. The latter type of specification was popularized by Hendry under the general theme of error correction models (ECM) Davidson, Hendry, Srba & Yeo (1978) (Maurel, 1989, p. 105). The approach of this model allows us to determine both short-term and long-term properties at the same time.

### 3.4 Model validation

To test the normality of the residuals, we use the J-B test from JARQUE and BERA. This test follows a distribution of "Chi-square" with two degrees of freedom. It is frequently used to determine whether the residuals of a linear regression follow a normal distribution.

The test of J-B formulates the null hypothesis of normal distribution of the residues and this hypothesis is accepted only if the statistic J-B is lower than the critical value 5.99. This normality of the residuals is also accepted when the critical probability is superior than the 5% threshold (Mignon & Lardic, 2002, p. 275)

The Jarque-Bera statistic is written (Damodar Gurrati, 2004, p. 149):

\[ JB = \frac{n-k}{6} \left[ s^2 + \frac{(K-3)^2}{4} \right] \] 

With:
- \( n \): Number of observations
- \( k \): Number of explanatory variables if the data come from the residues of a linear regression. Otherwise, \( k = 0 \).
- \( s \): Coefficient of asymmetry of the test sample.
- \( K \): Kurtosis of the tested sample.

\( s \) and \( K \) are defined by:
\[ S = \frac{\hat{\mu}_3}{\hat{\sigma}_3} = \frac{\frac{1}{n} \Sigma_{i=1}^{n} (x_i - \bar{x})^3}{\left(\frac{1}{n} \Sigma_{i=1}^{n} (x_i - \bar{x})^2\right)^{\frac{3}{2}}} \]  
(8)

\[ K = \frac{\hat{\mu}_4}{\hat{\sigma}_4} = \frac{\frac{1}{n} \Sigma_{i=1}^{n} (x_i - \bar{x})^4}{\left(\frac{1}{n} \Sigma_{i=1}^{n} (x_i - \bar{x})^2\right)^{\frac{2}{2}}} \]  
(9)

With:
- \( \hat{\mu}_3, \hat{\mu}_4 \) the estimators of the third and fourth moments,
- \( \bar{x} \) is the mean of the sample and \( \hat{\sigma}^2 \) is the variance of the sample.

3.5 Granger causality

Causality in the sense defined by Granger (1969) and Sims (1972) is inferred when lagged values of a variable, say \( x_t \), have explanatory power in a regression of a variable \( y_t \) on lagged values of \( y_t \) and \( x_t \). The VAR can be used to test the hypothesis. Tests of the restrictions can be based on simple F tests in the single equations of the VAR model. That the unrestricted equations have identical regressors means that these tests can be based on the results of simple Ordinary Least Squares (OLS) estimates. The notion can be extended in a system of equations to attempt to ascertain if a given variable is weakly exogenous to the system. If lagged values of a variable \( x_t \) have no explanatory power for any of the variables in a system, then we would view \( x \) as weakly exogenous to the system. Once again, this specification can be tested with a likelihood ratio test as described below the restriction will be to put “holes” in one or more matrices or with a form of F test constructed by stacking the equations (Greene, 2002, p. 592)

4. Results and discussion

Globally, tourism has become widely recognized by governments, many international business houses and financing agencies as an effective way to raise the level of development of a country’s economy; to the extent that emerging economies like India are beginning to think that they are an alternative source of economic growth, therefore, in this section, we will study the impact of the tourism sector on economic growth in Algeria for the period 1990-2018 and analyze the results.

4.1 Presentation of model variables

4.1.1 Presentation of the model

In this study, we used the following reduced equation:

\[ GDP_t = \beta_0 + \beta_1 NBT_t + \beta_2 \ REER_t + \epsilon_{it} \]  
(10)
With:
- GDP: Gross domestic product
- $\beta_0$: Constant
- NBT: Number of tourists
- REER: Real effective exchange rate
- $\varepsilon_{it}$: Error term

The empirical model of the equation 08 can be expressed in logarithmic form as follows:

$$\ln GDP_t = \beta_0 + \beta_1 \ln NBT_t + \beta_2 \ln REER_t + \varepsilon_{it}$$ (11)

The logarithmic form was used to linearize and homogenize the data.

### 4.1.2 Data sources and Variables

The variables of this study are:
- Gross domestic product (GDP), the number of tourists (NBT), real effective exchange rate (REER)
- Annual data from 1995 to 2018 were obtained from the World Bank Development.

### 4.2 Empirical results

In this section we will present our empirical results:

#### 4.2.1 Graphical presentation of variables

Before any analysis of time series, it is essential to study carefully the graph representing its evolution, because it provides a priori a global idea on the nature and the characteristics of the processes generating this series, namely the seasonality trend etc.

![Log GDP](source.png)

**Figure 4:** Gross domestic product

Source: Results obtained from Eviews9

![Log NBT](source2.png)

**Figure 5:** Number of tourists

Source: Results obtained from Eviews 9
The graphical representation of our raw series shows that there is a trend. So probably these series are not stationary, for confirmation we will apply the stationarity test.

### 4.2.2 ADF test

The ADF test on our series is presented in the following table. We took the model with Intercept:

<table>
<thead>
<tr>
<th>Variable</th>
<th>t-Statistic</th>
<th>Critical values</th>
<th>Probability</th>
<th>Order</th>
</tr>
</thead>
<tbody>
<tr>
<td>GDP</td>
<td>-3.889942</td>
<td>-3.004861</td>
<td>0.0077</td>
<td>I(1)</td>
</tr>
<tr>
<td>NBT</td>
<td>-3.384542</td>
<td>-3.004861</td>
<td>0.0229</td>
<td>I(1)</td>
</tr>
<tr>
<td>REER</td>
<td>-3.918533</td>
<td>-3.004861</td>
<td>0.0072</td>
<td>I(1)</td>
</tr>
</tbody>
</table>

Source: Prepared by the researchers, based on outputs of Eviews 9

The result confirms that the series are not stationary in level, and are all integrated of order 1. They are therefore stationary in first difference.

### 4.2.3 Cointegration test “Johansen (1988)”

The test relating to the number of cointegration relations is given by the value of the trace. We apply the test of Johansen (1988) to determine the number of cointegration vector. The cointegration test is presented in the following table.

<table>
<thead>
<tr>
<th>Hypothesized No.of CE (s)</th>
<th>Eigenvalue</th>
<th>Trace statistic</th>
<th>Critical value 0.05</th>
<th>Probability</th>
</tr>
</thead>
<tbody>
<tr>
<td>None</td>
<td>0.687756</td>
<td>37.42953</td>
<td>29.79707</td>
<td>0.0055</td>
</tr>
<tr>
<td>At most 01</td>
<td>0.383108</td>
<td>11.82219</td>
<td>15.49471</td>
<td>0.1657</td>
</tr>
<tr>
<td>At most 02</td>
<td>0.052863</td>
<td>1.194846</td>
<td>3.841466</td>
<td>0.2744</td>
</tr>
</tbody>
</table>

Source: Prepared by the researchers, based on outputs of Eviews 9
According to table n° 02 and on the basis of Johansen statistics, we reject, at the 5% threshold (37.42953 > 29.79707 for the trace), the null hypothesis $H_0$, absence of cointegration relation against the alternative hypothesis. (There is at least one cointegration relationship between the variables). So we accept the null hypothesis $H_0$: there is at most 1 cointegration relation, against $H_1$: there are at least 2 cointegration relations, at the 5% threshold (11.82219 <15.49471 for the trace). We accept $H_0$: the presence of a single cointegration relationship at the 5% threshold.

**4.2.4 Identification of the cointegration relationship**

$$GDP = -0.977246 \, NBT + 0.906738 \, REER - 15.76355 \quad (12)$$

The result of the estimation of the long-term relationship of the number of tourists confirmed that the NBT has a significant Negative effect on the GDP ($t$-student> 1.96), on the other hand the REER has a significant positive effect on NBT ($t$-student> 1.96).

**4.2.5 Estimation of a vector error correction model (VECM)**

After the estimation of a VECM model we obtained the following dynamic equation:

$$D(GDP) = -1.01758524926 \, (GDP(-1)) - 0.977245948913 \, NBT(-1) + 0.90673935779 \, REER(-1) - 15.7635465769 + 0.206520595523 \, D(GDP(-1)) - 0.0130659673321 \, D(GDP(-2)) - 0.210535429236 \, D(NBT(-1)) - 0.972226834906 \, D(REER(-2)) + 0.499453850429 \, D(REER(-1)) + 0.87256864902 \quad (13)$$

The adjustment coefficient or the recall force is negative -1.01 and more significant ($t$-student > 1.96), so we conclude that there is a short-term long-term adjustment of 100% in the unit.

**4.2.6 Model validation (J-B test)**

To test the normality of the residues, the J-B test was used.

![Figure 7: J-B test](source: Results obtained from Eviews 9)

According to figure n° 7 the J-B statistic is 0.65 with a probability
of 72%. We conclude that the residuals are normally distributed (the null hypothesis of normality is accepted).

4.2.7 Granger causality test

After confirming the existence of a long-term relationship, we are going through another step represented in determining the trend of the relationship between economic growth and tourism industry, and this is illustrated by the Granger causality test.

Table 03: Granger causality test

<table>
<thead>
<tr>
<th>Null hypothesis</th>
<th>Observation</th>
<th>F-statistic</th>
<th>probability</th>
</tr>
</thead>
<tbody>
<tr>
<td>NBT does not Granger cause GDP</td>
<td>22</td>
<td>5.44396</td>
<td>0.0149</td>
</tr>
<tr>
<td>GDP does not Granger cause NBT</td>
<td>22</td>
<td>0.27256</td>
<td>0.7647</td>
</tr>
<tr>
<td>REER does not Granger cause GDP</td>
<td>22</td>
<td>6.57027</td>
<td>0.0077</td>
</tr>
<tr>
<td>GDP does not Granger cause REER</td>
<td>22</td>
<td>0.43367</td>
<td>0.6551</td>
</tr>
</tbody>
</table>

Source: Prepared by the researchers, based on outputs of Eviews 9

According to this table, six hypotheses were tested simultaneously namely the causality between the two variables taken two by two, at the 5% threshold, it is clear from the results of the table that the causal relationship is in the same trend, meaning that the NBT causes economic growth (GDP), Furthermore, still at the 5% threshold, the REER has an influence on the GDP and not vice versa.

5. Conclusion

This article has attempted to analyze the relationship between tourism and economic growth in Algeria since the period 1995-2018, to do this, four tests were used: the stationarity test, the Johansen cointegration test, correction error test and the Granger causality test. The results showed that:

- The series of variables, GDP, NBT, REER are stationary in the first difference
- The three variables are cointegrated, they evolve together and consequently display a long-term relationship at least in one trend
- The estimation of a VECM model shows that there is a short-term long-term adjustment of 100%
- In Granger's sense, NBT causes GDP and not the reverse, and the REER has an influence on the GDP and not vice versa
On the economic plan:
To examine our four hypotheses posed previously:
- The tourism sector has a positive impact on economic growth in Algeria
- The tourism sector has a negative impact on economic growth in Algeria
- The NBT and REER caused the GDP
- The NBT and REER do not cause the GDP
- The effect of NBT on GDP is negative, so we accept hypothesis 02
- The results showed that the NBT and REER causes GDP, so we accept hypothesis 03.

The hydrocarbons sector dominates a large percentage of the Algerian economy, about 98%. Considering that oil is a non-renewable energy and in view of the crisis that Algeria was exposed to in 1989 as a result of the collapse of hydrocarbon incomes and the decrease in exchange reserves. Thus, Algeria adopted new policies to revive the Algerian economy represented in the development of the tourism sector, in which this policy achieved a positive result. However, Algeria did not maintain this policy.

It can be said that tourism development in Algeria has become imperative, despite what Algeria possesses of oil wealth, which must be used to strengthen the infrastructure for the development of non-oil economic sectors to achieve the principle of sustainable development and avoid financial crises resulting from fluctuations in the oil market.

In the context of economic diversification, Algeria should promote Halal tourism, which aims to provide travel services in accordance with Islamic principles.

References


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